

Vectoral: only by trying new  
things will we ever get  
computer languages right

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# What it tries to be . . .

a language for expressing scientific and engineering computational tasks

a concise notation for such algorithms, as consistent as possible with normal mathematical notation

syntactically orthogonal

a self-documenting balance between terse and verbose

minimally pre-conceived and thus hopefully novel

# A Brief History of the Compiler

- ca. 1978: First implementation for Illiac IV  
Written in PL/I, generated Illiac binary  
Cross-compiler running on IBM 360/67
- 1979: Illiac cross-compiler ported to VAX-11
- 1980: Generator for Cray 1 binary  
Compiler rewritten in Vectoral to run on Cray
- 1982: Cyber 205 binary, first cross-compiled on Cray  
then ported to run natively on 205
- 1980's-now: Series of ports to XMP, YMP, Cray 2, C90, J90, T90, SV1
- 1989: Port to Intel i860-based parallel computers:  
Gamma = 32 to 128 processors, Delta = 528 processors

# A Brief History of the Language

Illiac days: Explicit vector notation, asynchronous I/O,  
user control of both stack and heap storage

Cray days: Vector "loops" replace explicit vector notation,  
array operations introduced

C-days: Object-oriented features, multitasking added

# Inspirations

Algol, Algol 68, Fortran, PL/I, Pascal, APL, CFD, C++, even Basic ...

# Overall compiler structure

- " Single pass parser with occasional local re-parsing and parse-ahead
- " Parser generates n-tuple intermediate code
- " Optimizer makes several passes over the i-code
- " Code generator forms binary or C from optimized i-code
- " For binary, a scheduler reorders/modifies the instruction stream

# Major Contrasts with C

- " True multidimensional, variable bounded arrays in static, stack, or heap
- " Complex type is native
- " Exponentiation is native ( ^ )
- " Type precisions can be explicit
- " No reserved words
- " Fewer delimiters, more agglutinators: (), [], {}
- " Richer control, data structures
- " Flexible, mnemonic call syntax
- " Vectoring, tasking built in
- " Many more scientific intrinsics

# Earliest (Illiatic) Vector Syntax

(\* # spans the vector (64 or 128 elements) \*)

**Static real A[# ,10,10], B[# ,10,10]**

**index i, j, k, m[#]**

...

**A[# , i, j] = B[# + i, j, k]^2 + 2\*B[# , m[#], k]**

**A[m[#]>3, i, j] = 0.**

# Revised Vector Syntax

(\* n is some variable or constant expression giving the vector length for this part of the code \*)

**Static real A[n,10,10], B[n,10,10],  
index v, i, j, k, m[n]**

...

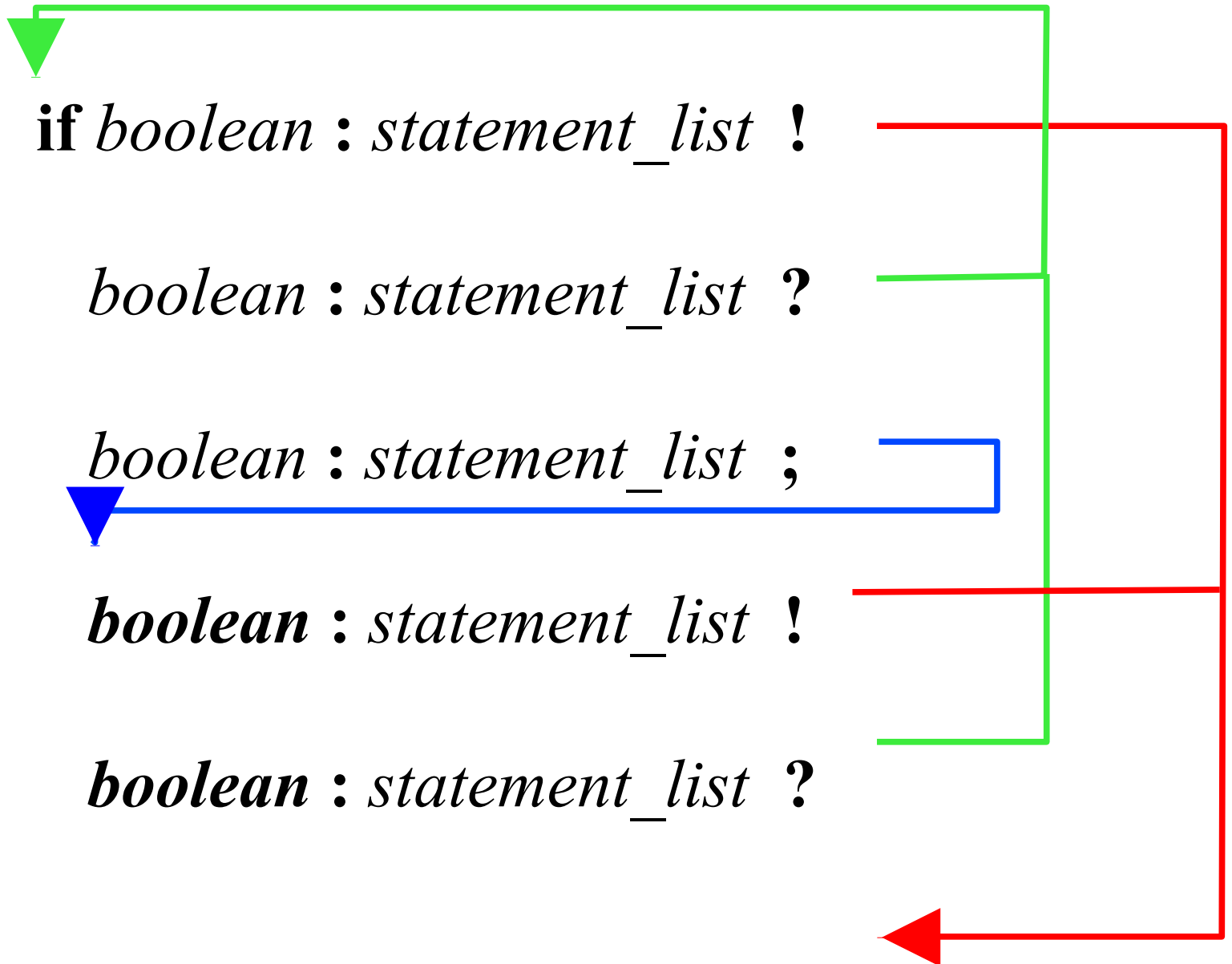
**For 1<=v<=n:**

$$\mathbf{A[v, i, j] = B[v+i, j, k]^2 + 2 \times B[v, m[v], k]}$$

**if m[n]>3: A[v, i, j] = 0. !**

**!**

# Control Structures 1: if



**QUIZ:**  
**Q:** *How do you do a plain "else"?*

# **QUIZ:**

**Q:** *How do you do a plain "else"?*

**A:** *Use an empty boolean:*

```
if boolean : then_list !  
           : else_list !
```

**QUIZ:**  
**Q:** *How about "while" or "do ... until"?*

**QUIZ:**  
**Q:** How about "while" or "do ...  
**A:** Use looping and empty booleans:

*if boolean : while\_list ?*

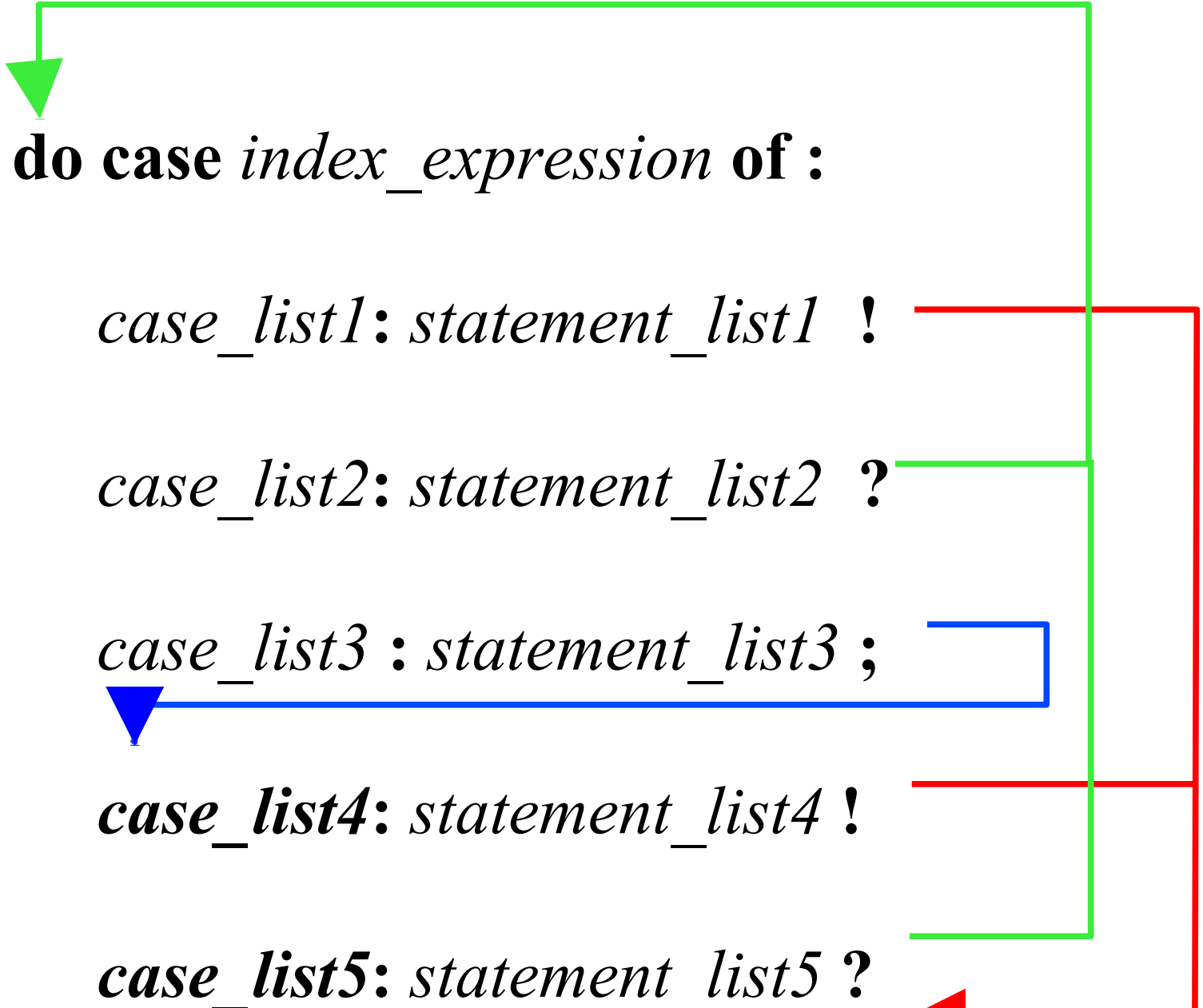
*if : do\_list ;*

*not(boolean) : ?*

**QUIZ:**  
**Q: Go to ???**

**QUIZ:**  
**Q:** *Go to ???*  
**A:** *Sorry.*

# Control Structures 2: do case



# Control Structures 3: iteration



**For i = 1 to n and -5 to -10 by -2 and 17 :**

...

?

**For m <= j <= n :**

...

!

**For n+1 > j > m-1: -- equivalent to the last for**

...

!

# Control Structures 3, continued

**Conditional vectorization:**

**For  $m \leq j \leq n$ , vectorize if  $n-m > 10$  :**

...

!

# Control Structures 4: defining procedures

**global index a, b, string s, real r**

**local DOIT( real X , Y , Z ) =**  
**X = a\*Y + b\*Z**

**a=b: DOIT = : X = a\*(Y + Z) ! !**

**global DOIT( string X, Y, Z ) = : X = (a+b)\*Y + Z !**

**DOIT( s, "q", "." ) -- calls the 2<sup>nd</sup> DOIT**

**DOIT( r, 1, 3 ) -- calls the 1<sup>st</sup> DOIT**

# Control Structures 4: calling procedures

**Local DOIT( real X , Y , Z )**

**raw call: DOIT( A, B, C)**

**keyword call: DOIT( Y=B X=A Z=C )**

**mixed call: DOIT( Y=B, C, X=A )**

# Control Structures 4: calling procedures with default arguments

**Local DOIT( real X=A , Y , Z=C )**

**raw call: DOIT( , B )**

**keyword call: DOIT( Y=B )**

# Control Structures 4: calling procedures with prepositional separators

**local DOIT( real X with Y from Z )**

**raw call:           DOIT( A with B from C )**  
**or           DOIT( A from C with B )**

**mixed call:       DOIT( A with B, Z=C )**

# Control Structures 4: disambiguating calls

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**cal DOIT( real X with Y from Z ),**  
**DOIT( real x into y and z)**

**DOIT(1., 2., 3.)** -- compile-time error: ambiguous

**DOIT(X=1., 2., 3.)** -- call 1<sup>st</sup> based on argument name

**DOIT(a from c with b)** -- call 1<sup>st</sup> based on separator(s)

**DOIT(1., y=a, b)** -- call 2<sup>nd</sup> based on argument name

# Control Structures 5: Tasking

## **Dynamic task index $i$**

**For  $1 \leq i \leq n$ :**

-- a process is spawned for each  $i$

!

**For  $1 \leq i \leq n$ , groups of  $m$ :**

-- a process is spawned for each  $m$   $i$ 's

!

# Data Structures 1: Storage Classes

## Memory classes

**Global** : name known to all compilations in a link

**Local** : name known throughout a compilation

**Static** : memory allocated once per run

**Dynamic**: memory allocated on entering scope

## Definitional Classes

**Symbolic** : compile-time parameterized macro

**Valoric** : run-time temporary

**Declarator**: parameterized abstract type declaration

# Data Structures 2: arrays and areas

Arrays may be multidimensional, variable bounded:

**Global index  $m, n$**

**Static real  $f[m, n, n+1]$ ,**

**complex  $g[-1 \text{ to } n, m \text{ to } 2 \times m, n+1]$**

**Dynamic integer(16)  $R[10, n]$**

# Data Structures 2: arrays and areas, cont'

---

Areas are basically instantiated **structs**, but unambiguous references to contained identifiers need not be qualified

**global dims{index m, n}**

**static data{real f[m, n],**

**complex g[-1 to n, m to 2×m]}[n+1]**

**dynamic {integer(16) R[10, n], f[2,2,3]}**

**[1,2,3]** is the same as **data[3]{g[1,2]}** or **data{g[1,2]}**  
**data{g[1,2,3]}**

# Data Structures 3: Symbolic

**Symbolic PI = 3.14159265358979,**

**CUBEROOT(x) =**

**if( x>0: x^[1./3.] ! x=0: 0 ! : -|x| ^ [1./3.] !)**

**Delta(A, I) = A[I+1] - A[I-1] ,**

**Diag(array=D, position) = array[position, position]**

**Diag[A,i] is the same as A[i,i]**

**and**

**Diag[position+1:k-1] is the same as D[i+1:k-1, i+1:k-1]**

# Data Structures 3: Symbolic, cont'd

**Symbolics can be assigned-to and used as compile-time  
loop variables, tested, etc., to expand the source code at  
compile-time:**

**Symbolic i, j, k=3**

```
For i=1 to 10 : a[i] = b[i]×c[k]  
    $if mod(i,2)=0: a[i] = a[i] + 1 !  
    $j = i + 1  
    d[j] = a[i]^2  
    $if i<5: k = k+1 !  
            : k = i    !
```

# Data Structures 4: Declarator

Declarator **character c = bits(8) c,**

**Array[n] q = q[n],**

**real\_matrix[m,n] M = real M[m,n],**

**data\_area(x,y) D = D{real x,y},**

**field(type, variable, dimension) F**

**= F{type variable}[dimension]**

**local character c\_a, c\_b[20]**

equivalent to

**local bits(8) c\_a, c\_b[20]**

# Data Structures 4: Declarator

**declarator character c = bits(8) c,**

**Array[n] q = q[n],**

**real\_matrix[m,n] M = real M[m,n],**

**data\_area(x,y) D = D{real x,y},**

**field(type, variable, dimension) F  
= F{type variable}[dimension]**

**dynamic complex Array[12] u, v, w,**

**real Array[2, 4] U1, U2**

equivalent to

**dynamic complex u[12], v[12], w[12],**

**real U1[2, 4], U2[2, 4]**

# Data Structures 4: Declarator

**declarator character c = bits(8) c,**

**Array[n] q = q[n],**

**real\_matrix[m,n] M = real M[m,n],**

**data\_area(x,y) D = D{real x,y},**

**field(type, variable, dimension) F**

**= F{type variable}[dimension]**

**atic real\_matrix[5,10] a, b, c[2]**

equivalent to

**atic real a[5,10], b[5,10], c[5,10,2]**

# Data Structures 4: Declarator

**declarator** **character** **c** = **bits(8)** **c**,  
**Array[n]** **q** = **q[n]**,  
**real\_matrix[m,n]** **M** = **real** **M[m,n]**,  
**data\_area(x, y)** **D** = **D{real x, y}**,  
**field(type, variable, dimension)** **F**  
= **F{type variable}[dimension]**

**atomic data\_area(a, b)** **A1**,  
**data\_area(p[10], q[5,4])** **A2{real r[3]}**

equivalent to

**atomic** **A1{real a, b}**,  
**A2{real p[10], q[5,4], real r[3]}**

# Data Structures 4: Declarator

Declarator character  $c = \text{bits}(8) \ c,$

Array[n]  $q = q[n],$

real\_matrix[m,n]  $M = \text{real } M[m,n],$

data\_area(x,y)  $D = D\{\text{real } x,y\},$

**field(type, variable, dimension) F**

**= F{type variable}[dimension]**

dynamic field(type=real variable=`U,V` dimension=`nx,ny`)

velocity[2]

equivalent to

dynamic velocity{real U,V}[nx, ny, 2]

# Data Structures 5: Hoards continued

declarator  $H(m)$   $a = \mathbf{hoard}$   $a\{\text{index } n, \text{ real } x[m]\} :$   
 $a == \mathbf{new}(H(m)) \quad a\{n\}=m \quad !$

dynamic hoard  $h\{\text{real } x, y, z\}$

dynamic  $H(100)$   $A$

$== \mathbf{new}(h)$

$\mathbf{br1}(h, A)$

$== \mathbf{renew}(A \text{ as } H(1000))$

$\mathbf{br2}(h, A)$

# Data Structures 5. Hoards

clarator

velocities  $V = V\{\text{real } u, v, w\},$

coordinates  $X = X\{\text{real } x, y, z\},$

flow\_data  $Q = Q\{\text{coordinates } X, \text{velocities } V,$   
 $\text{flow\_data hoard neighbor}[6]\}$

dynamic flow\_data data[nx, ny, nz]

for i=1 to nx: for j=1 to ny: for k=1 to nz:

data{neighbor[1]}[i,j,k] == if(i=1 : % ! : data[i-1, j, k] !)

data{neighbor[2]}[i,j,k] == if(i=nx: % ! : data[i+1, j, k] !)

data{neighbor[3]}[i,j,k] == if(j=1 : % ! : data[i, j-1, k] !)

data{neighbor[4]}[i,j,k] == if(j=ny: % ! : data[i, j+1, k] !)

data{neighbor[5]}[i,j,k] == if(k=1 : % ! : data[i, j, k-1] !)

data{neighbor[6]}[i,j,k] == if(k=nz: % ! : data[i, j, k+1] !)

# Array Operations

**Global dimensions** { index m, n, p, q }

**Declarator** mat[a,b] M = M[a,b],

**thing(a,b)** T = T{ real b[a] }[b]

**Dynamic** mat[m,n] a,b, **thing(p,q)** Q, R

**a = 0.**

...

**a = b + cos(a/2) + 1**

**Q = R**

**Q{b}[i] = Q{b}[i] + 1**

# Array Operations, continued

Global dimensions { index m, n, p, q }, subr(real a[3])

declarator mat[n1,n2] M = M[n1,n2],

thing(n1,n2) T = T{ real b[n1] }[n2]

dynamic mat[m,n] a,b, thing(p,q) Q, R, index i,j

= [ [i+j for i=1 to 10, i-j for i=11 to m] for j=1 to n]

[2,3] = [ 1,2,3,4, -i^2+1 for i=1 to 10 ] [p]

= [ { a[i,j]+b[i,j] for i=1 to p } for j=1 to q]

subr( [1., 2., 4.] )